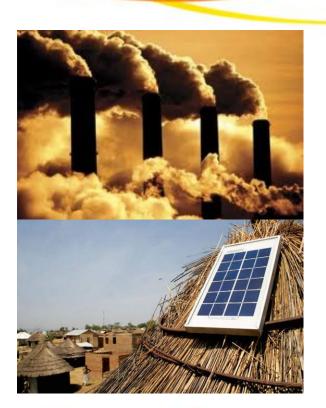


#### Energy Crisis - The Necessary Shift to Renewables

- 48% increase in energy consumption from 2012 to 2048 (IEOE)
- 1.2 billion people without access to electricity in 2016 (WE0)
- Photovoltaics and efficient devices are more effective and less expensive than ever
- Opportunity for solar industry and technological leapfrogging









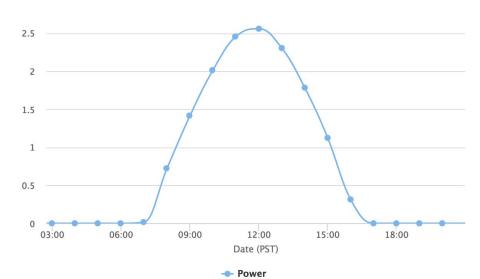


### Solar Forecasting

- What is it?
- What specifically does it apply to?
  - Off the grid
  - In your home
  - Microgrids
  - In the grid itself







\*Our Renes based forecasted power

Highcharts.com









### Off the grid This is Ted...

- Ted lives in a tiny house off the grid
- Solar forecasting allows Ted to proactively manage his use of energy given how much he can expect to produce the next day





# In your home

- Minimize use of grid electricity
- Minimize cost (tier pricing)
- Optimize EV charging
- Combine with WattTime



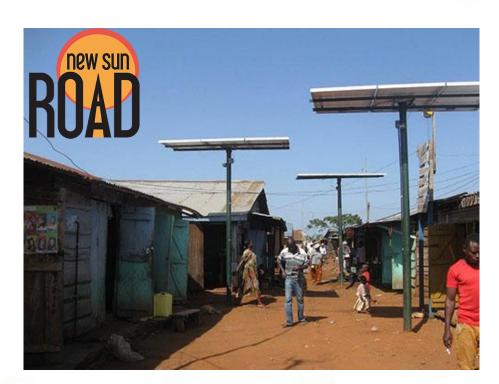






# Microgrids

- Manage communal loads and storage proactively based on forecasted solar generation
- Forecasting can increase microgrid resilience to weather events







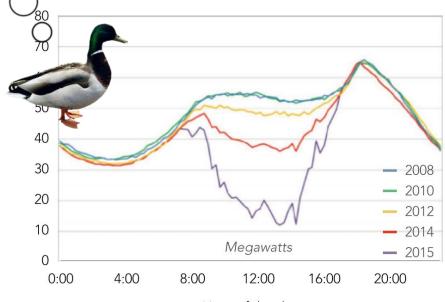


# In the grid





SOLAR MAKES KAUAI'S ENERGY DEMAND "DUCK"



Hour of the day



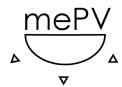








# Introducing: mePV



Why is our product *different*?

mePV is a consumer-scale machine-learning system for PV power forecasting

Running automatically, it adapts to new data without human interference





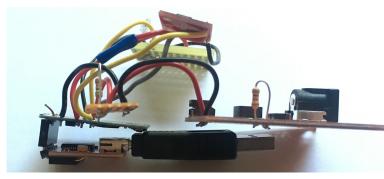








#### Arduino Pro Mini and sensor network



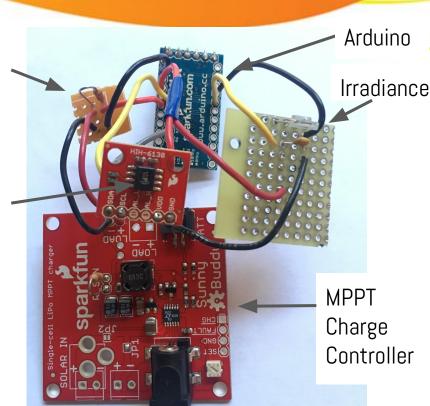
#### Raspberry Pi 3 Model B



#### Hardware

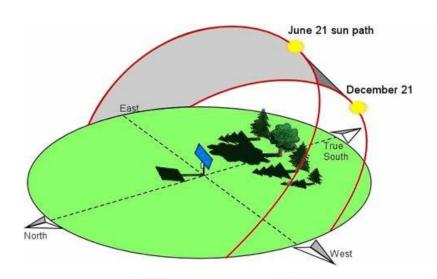
Power Resistor

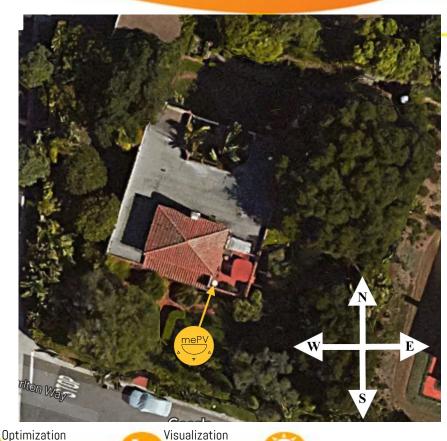
Temperature & Relative Humidity



#### Data Collection

- Array location characteristics
- Seasonal considerations
- Weather events

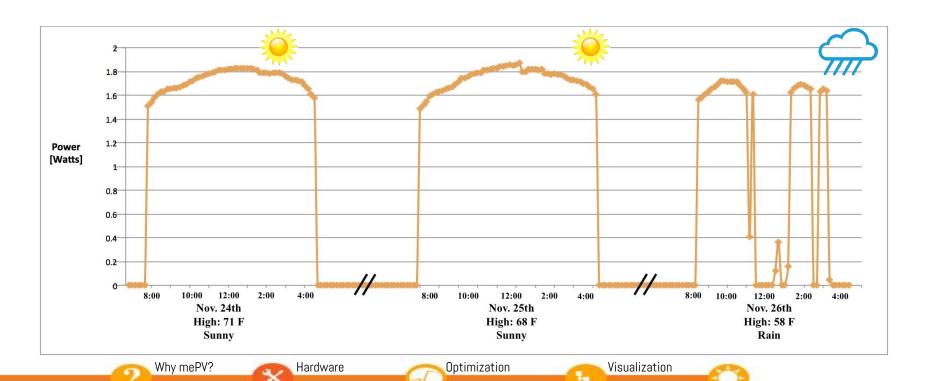






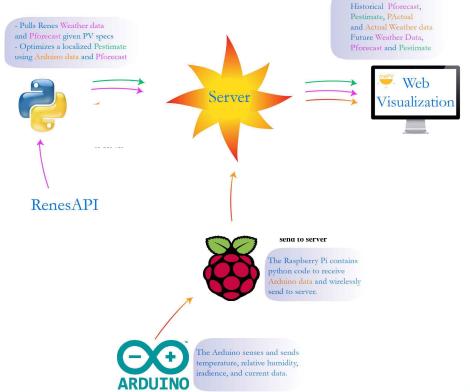


#### Three days of real power data representative of unique PV conditions

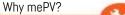


# Connectivity

P\_measured (Real) P\_forecast (RENES) P\_estimate (mePV)







Hardware

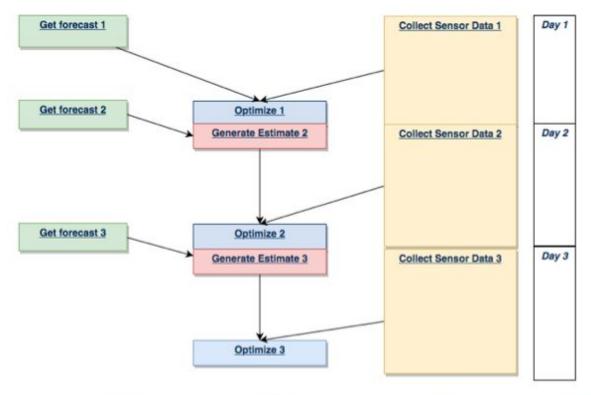






Our site will broadcast:

# Optimization





For any day j the optimization to solve for  $\theta(j)$  is:

$$\begin{aligned} \min & \| \left( \theta_1 P_{est} \left( j \right) + \, \theta_2 T_{true} (j) + \, \theta_3 H_{true} (j) + \, \theta_4 I_{true} (j) + \, \theta_5 \right) - \, P_{true} (j) ) \|^2 \\ & P_{est} \, \epsilon \mathbb{R}^{24} \ \ \, T \epsilon \mathbb{R}^{24} \ \, H \epsilon \mathbb{R}^{24} \ \, I \epsilon \mathbb{R}^{24} \ \, \theta \epsilon \mathbb{R}^5 \ \, P_{true} \, \epsilon \mathbb{R}^{24} \end{aligned}$$

Approach 1 (Daily Data)

Approach 2 (Hourly Data)

Stacked Retrospective Rolling-Horizon Optimization



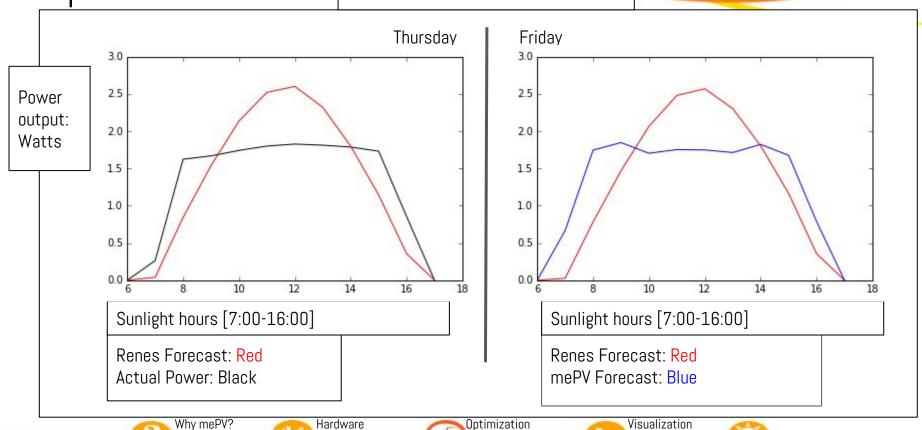






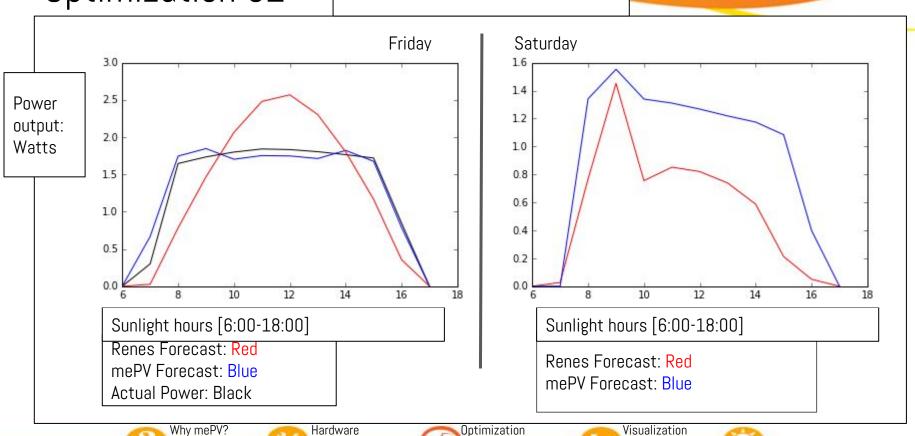
#### Optimization 01

At 00:01AM, use Thursday's data to calculate mePV Forecast for Friday



#### Optimization 02

At 00:01AM, use Friday's data to calculate mePV Forecast for Saturday



#### Web Visualization

https://mepv-bornap.c9users.io/





## Why does it matter?

- Traditional solar forecasting for a single-system demonstrates error of 30 40% rRMSE. (Lorenz et. al.)
- Forecasts can help utility providers and regulators add stability to the grid and avoid the waste of energy.

#### mePV as a Product

- Affordable, wireless, and compact
- Easily deployable for Microgrid and Off-grid usage with customizable load profiling
- Minimize electricity costs due informed energy sourcing in a tiered electricity economy







Why mePV?











### Next steps

- Continue collecting data and perfecting our optimization
- Improve stacked parallel optimization parameters
- Add additional optimization models into stacked ensemble
- Add load profiling options for users
- Become Elon Musk









mePV\_loop runs three functions: both optimizations and RENES API request

```
7 #The mePV loop runs in the background of the computer, set to run each day at
8 #12:01 AM. It imports two optimization approaches, requests the weather and power
9 #forecast from Renes API, and calculates the Pestimate for the next day
11 import schedule
12 import time
13
14 def job():
15
16
      import optimize_24
17
      import optimize hourly
18
      import renes_requestandstore
19
20 schedule.every().day.at("00:01").do(job)
21 while True:
      schedule.run pending()
      time.sleep(True)
```

```
449 #OPTIMIZATION
450 \text{ ones} = 24*[1.0]
451
452 if len(Pest) == 0:
       Pest = Pfore daylight
454 #otherwise, Pest is the values pulled from
456 X = zip(Pest, Tfore_daylight, Hfore_daylight, Ifore_daylight, ones)
457
459 olsmod = sm.OLS(Ptrue_daylight, X)
460 olsres = olsmod.fit()
461 print(olsres.summary())
462
464 ypred = olsres.predict(X)
465 print(vpred)
467 plt.plot(hour graph, ypred, color='blue')
469 #Save Coefficients to local dictionary
470 coef_dict_daily['Coef_save_' + str(now.month) +'_' + str(now.day)]=[]
471 coef_dict_daily['Coef_save_' + str(now.month) +'_' + str(now.day)].append(ypred)
472 #Save coefficients to disk
473 numpy.save('Coef_save_' + str(now.month) +'_' + str(now.day),req.coef_)
474
```

```
273 #Calculate PEST Using the Stacked Combination of Both Sets of Regression Coefs
274 Pest=[]
275
276 for u in range(0.10):
277
278
       Stacked_Estimate=Pfore_tmrw_day[u]*stack[u][0] + Tfore_tmrw_day[u]*stack[u][1] +
       if Stacked Estimate < 0:
279
280
            Stacked Estimate=0
       Pest.append(Stacked Estimate)
281
282
283
284 plt. figure (50)
285 plt.plot(Pfore tmrw day, color='red')
286 plt.plot(Pest, color='blue')
287
```

Combined Retrospective Rolling Horizon Optimization

> Linear Regression Approach 1 (Daily Data)

Linear Regression Approach 2 (Hourly Data)

#### Approach 1:

Optimizing data from entire day (24 points in each dataset) with a general solution for the day that is not specific to any hour i =24:

For any day j the optimization to solve for  $\theta(j)$  is:

$$\begin{aligned} \min & \| \left( \theta_1 P_{est} \left( j \right) + \ \theta_2 T_{true} (j) + \ \theta_3 H_{true} (j) + \ \theta_4 I_{true} (j) + \ \theta_5 \right) - \ P_{true} (j) ) \|^2 \\ & P_{est} \, \epsilon \mathbb{R}^{24} \ T \epsilon \mathbb{R}^{24} \ H \epsilon \mathbb{R}^{24} \ I \epsilon \mathbb{R}^{24} \ \theta \epsilon \mathbb{R}^5 \ P_{true} \, \epsilon \mathbb{R}^{24} \end{aligned}$$

We can define an X matrix that is the concatenation of our input datasets,  $X \in \mathbb{R}^{5x24}$ 

Optimization

$$\theta(j) = \begin{bmatrix} \theta_1 \\ \theta_2 \\ \theta_3 \\ \theta_4 \\ \theta_5 \end{bmatrix} \quad X(j) = \begin{bmatrix} P_{est,1} & T_{true,1} & H_{true,1} & I_{true,1} & 1 \\ P_{est,2} & T_{true,2} & H_{true,2} & I_{true,2} & 1 \\ P_{est,3} & T_{true,3} & H_{true,3} & I_{true,3} & 1 \\ P_{est,4} & T_{true,4} & H_{true,4} & I_{true,4} & 1 \\ P_{est,5} & T_{true,5} & H_{true,5} & I_{true,5} & 1 \\ \dots & \dots & \dots & \dots & \dots \\ P_{est,24} & T_{true,24} & H_{true,24} & I_{true,24} & 1 \end{bmatrix} \quad Y(j) = P_{true}(j) = \begin{bmatrix} P_{true,1} & P_{true,2} & P_{true,2} & P_{true,3} & P_{true,3} & P_{true,3} & P_{true,4} & P_{true,5} & P_{true,5} & P_{true,5} & P_{true,5} & P_{true,24} & P_$$



Combined Retrospective Rolling Horizon Optimization

> Linear Regression Approach 1 (Daily Data)

> > +

**Linear Regression** Approach 2 (Hourly Data)

#### Approach 2:

Optimizing data from multiple days for a specific hour, with a solution specific to some hour i that does not apply to any entire day

The optimization to solve for  $\theta(i)$  at each hour Where j = total days of recorded forecasted and true data

$$\begin{aligned} \min & \| \left( \theta_1 P_{est} \left( i \right) + \ \theta_2 T_{true} (i) + \ \theta_3 H_{true} (i) + \ \theta_4 I_{true} (i) + \ \theta_5 \right) - \ P_{true} (i) ) \|^2 \\ & P_{est} \, \epsilon \mathbb{R}^j \ T \epsilon \mathbb{R}^j \ H \epsilon \mathbb{R}^j \ I \epsilon \mathbb{R}^j \ \theta \epsilon \mathbb{R}^5 \ P_{true} \, \epsilon \mathbb{R}^j \end{aligned}$$

We will conduct this optimization for each of 24 times

We can define an X matrix that is the concatenation of our input datasets,  $X \in \mathbb{R}^{5xj}$ 

$$\theta(i) = \begin{bmatrix} \theta_1 \\ \theta_2 \\ \theta_3 \\ \theta_4 \\ \theta_5 \end{bmatrix} \quad X(i) = \begin{bmatrix} P_{est,1} & T_{true,1} & H_{true,1} & I_{true,1} & 1 \\ P_{est,2} & T_{true,2} & H_{true,2} & I_{true,2} & 1 \\ P_{est,3} & T_{true,3} & H_{true,3} & I_{true,3} & 1 \\ \dots & \dots & \dots & \dots \\ P_{est,j} & T_{true,j} & H_{true,j} & I_{true,j} & 1 \end{bmatrix} \quad Y(i) = P_{true}(i) = \begin{bmatrix} P_{true,1} \\ P_{true,2} \\ P_{true,3} \\ \dots \\ P_{true,j} \end{bmatrix}$$



